

# Privacy-Preserving Mobility-Casting in Opportunistic Networks

Gianpiero Costantino, Fabio Martinelli, Paolo Santi  
IIT-CNR, Pisa, Italy  
Email: name.surname@iit.cnr.it

**Abstract**—In this paper, we introduce the notion of *mobility-cast* in opportunistic networks, according to which a message sent by a node  $S$  is delivered to nodes with a mobility pattern similar to that of  $S$  – collectively named *place-friends*. The motivation for delivering a message to place-friends stems from the fact that current social acquaintances are likely to be place-friends. Most importantly, it has been recently found that a large fraction of new social contacts comes from place-friends.

After introducing mobility-cast, we present a privacy-preserving mobility-cast protocol based on the MobileFairPlay platform for secure two-party computation in mobile environments. The effectiveness of the protocol in delivering messages to place-friends is demonstrated by means of simulations based on a real-world GPS trace.

Finally, in the last part of the paper we present an implementation of mobility-cast on the Android platform, and test its computational performance on a number of different smartphones. Overall, the results presented in this paper show that privacy-preserving mobility-cast can be effectively implemented with current mobile phone technology.

## I. INTRODUCTION

While mobile social networks have attracted considerable interest in the research and industrial community in recent years, some issues are still to be solved before they gain full acceptance in the user community. First, if opportunistic communications are used to drive the information dissemination process, forwarding mechanisms should be designed that are able to deliver information to *all* and *only* the interested users, so to reduce spamming of messages throughout the network. Furthermore, privacy issues should be carefully considered when designing a mobile social application. On the one hand, knowledge of private user information such as interest profile, mobility pattern, social ties, etc., has been proved very useful in improving the information propagation process within the network [5], [7], [9], [11]. On the other hand, users are increasingly reluctant in sharing such sensible information with strangers, which motivate the need for protocols that consider user privacy in the design cycle by exploiting the *privacy-by-design* concept.

In this paper, we try to address the above described issues by introducing an innovative information dissemination mechanism, called *mobility-cast*, and by presenting a privacy-preserving implementation of a mobility-cast protocol. The idea at the core of mobility-cast is delivering a message  $M$  generated by a user  $U$  to users who display a mobility pattern similar to  $U$ 's one. Following [12], in this paper we call such set of users the *place-friends* of user  $U$ . As described in

greater detail in Section II, mobility-cast finds its motivation in the observation that not only *current* social acquaintances are likely to be place-friends, but also a large fraction of *new* social contacts comes from place-friends.

The mobility-cast protocol that we introduce, which we call  $2H$  since information is propagated only up to the second communication hop, is built upon a secure function to estimate place-friendships between two users. As carefully analyzed in Section VI, the function is secure in the sense that, after its execution, a party only acquires minimal information about the other party's mobility profile. The amount of information disclosed to the other party can be controlled through a design parameter of the protocol.

In this paper, we show  $2H$  effectiveness not only in preserving user privacy, but also in actually delivering information precisely to place-friends: the results of simulation experiments performed on a real data trace show that  $2H$  strikes the best compromise between coverage, precision, and cost, amongst the protocols evaluated in the experiments – see Section VII for details.

Finally, we report the results of measurements we have performed on different smartphones with the goal of estimating the running time of the secure place-friendship estimation function at the core of  $2H$ . The results have shown that running times are acceptable (as low as 10 *sec*) even with current smartphone technology.

## II. MOTIVATION

We want to implement a communication primitive for opportunistic networks which delivers a copy of message  $M$  generated by user  $A$  to all nodes in the network with a mobility pattern similar to  $A$ . In accordance with [12], we call the set of nodes with a mobility pattern similar to node  $A$  the *place-friends* of node  $A$ . How to formally define a user's mobility pattern and a similarity metric between mobility patterns (and, hence, the set of place-friends) is deferred to later sections. We call the communication primitive that delivers a copy of the message to place-friends *mobility-cast*.

Mobility-cast is motivated by the observation that social interactions often occur between individuals with similar mobility patterns: e.g., colleagues who work in the same place, friends attending the same fitness class, etc. This intuitive observation is quantitatively evaluated in [4], where the authors show that social ties between people can be inferred with a good accuracy from co-occurrence in time and space. Hence,

delivering a message to node  $A$ 's place-friends is likely to reach many relevant social ties of node  $A$ . More importantly, it has been recently shown [12] that a large fraction (about 30%) of *new* social interactions arise between place-friends. Similar observations have been done in [16], where it is shown that individuals with similar mobility patterns are likely to be close in the social network graph formed of the phone calls between users. Thus, delivering a message to place-friends is useful not only to reach current social ties, but also *forthcoming* social ties. Indeed, we can imagine that a mobility-cast primitive might even increase the fraction of social interactions between place-friends well beyond the 30% value observed in [12]. Suppose individual  $B$ , who is a stranger but place-friend of node  $A$ , receives an interesting message  $M$  from  $A$  (e.g., announcing a special event in which  $B$  is very interested); having received  $M$ , node  $B$  might be stimulated to initiate a direct, social interaction with node  $A$ .<sup>1</sup>

Since mobility-cast can be used to deliver messages to current, as well as future, social ties, its possible uses in the context of mobile social networking applications are numerous. For instance, mobility-cast can be used by a fully distributed, opportunistic mobile social networking application to effectively disseminate a message to friends without flooding the network. Even more importantly, mobility-cast can be used to implement fully-distributed, opportunistic "friend recommendation" services for social networking applications.

### III. RELATED WORK

A number of recent studies have shown that the effectiveness of the information propagation process can be improved by having users exchange some type of personal information to drive the process. In [5], [7], the authors show that the effectiveness of unicasting a message to destination is improved by considering user social metrics (e.g., centrality in the social network graph) in the forwarding process. The authors of [11] instead proposed exchanging user interest profiles in order to deliver messages only to interested users. A work which is closer in spirit to ours is [9], where the authors propose to use the user mobility profile to drive message forwarding. However, the focus in [9] is in unicasting a message to a specific destination, while in this paper we aim at implementing a novel communication primitive, namely, mobility-casting. Furthermore, privacy issues are not considered in [9], and mobility profiles are exchanged in clear between users.

Another line of research which is related to our work is privacy-preserving protocols for opportunistic networks. Most of existing approaches focus only on securely computing whether two mobile users are "friends", where the specific definition of friendship depends on the approach at hand [6], [8], [22]. A few protocols consider network-wide information propagation protocols built on top privacy-preserving "friendship" estimation. In [1], the authors introduce a privacy-preserving protocol for geo-casting a message to a specific

geographic location. In [2], the authors of this paper present a privacy-preserving approach for implementing the interest-casting primitive introduced in [11], and analyze the privacy-preservation vs. forwarding accuracy tradeoff which is inherent in the design. The interest-casting protocol has been implemented within the MobileFairPlay platform for secure two-party computation in mobile devices [3]. While similar in spirit to the study presented herein, the works in [2], [3] consider an existing opportunistic communication primitive, namely, interest-casting [11]. On the contrary, in this work we introduce the *novel* mobility-casting communication primitive, and present a privacy-preserving, effective implementation of the proposed primitive.

### IV. DEFINING PLACE-FRIENDS

In order to define place-friends, we need to formally define a notion of individual mobility pattern, and a similarity metric between mobility patterns. Concerning definition of mobility pattern, two approaches are typically used in the literature: a point-of-interest based approach, or a partition-based approach. In the former approach, a number of points-of-interest (shopping centers, touristic attractions, public parks, etc.) are identified within the area of interest (typically, a city). A user's mobility profile is then defined by the visiting frequency of the points-of-interest. This notion of mobility profile is used, e.g., in [12]. In the partition-based approach, the area of interest is partitioned into a number of non-overlapping regions, and a user's mobility profile is given by the visiting frequency of each sub-region. Sub-regions typically are defined as the coverage area of a cell-tower (see, e.g., [14]), or based on a square cell partitioning (see, e.g., [1], [4], [9]).

While in principle our ideas can be applied to any definition of mobility pattern, for the sake of definiteness in the following we use a square grid partition-based approach. More specifically, we assume the mobility region  $R$  is a square of side  $\ell$ , which is logically partitioned into  $m = h^2$  square cells of side  $\frac{\ell}{h}$ , where  $h$  is a tunable parameter. Assuming an arbitrary ordering of the  $m$  cells, the mobility pattern of a user  $A$  is defined as an  $m$ -dimensional vector  $M_A = (x_1^A, \dots, x_m^A)$  of real numbers  $x_i^A \in [0, 1]$ , where  $x_i^A$  denotes the relative visiting frequency for the  $i$ -th cell, and  $\sum_i x_i^A = 1$ .

Given the above definition, and in accordance with [9], a user's mobility pattern can be represented as a vector (point) in an  $m$ -dimensional vectorial space. Different similarity metrics can be used to compare two mobility patterns. In [9], the authors suggest to use Euclidean distance between the two points corresponding to the individual mobility patterns. Alternatively, one can use the cosine similarity metric used in [11] to quantify similarity between user interests, where interest profiles are represented as points in a vectorial space as well. However, we have to consider that vectors representing mobility patterns are likely to be highly skewed, with most cells visited with near zero frequency, and only a few cells visited on a regular basis. This observation comes from recent studies showing that individuals tend to spend most of the time in a few locations: more specifically, the visitation frequency

<sup>1</sup>Notice, though, that this would require node  $A$  to include his/her identity in  $M$ , which might be at odds with the need of preserving privacy.

of locations follows a Zipf's law with exponent 1.2 [14], corresponding to having an individual spending about 60% of the time in the 5 most popular locations. Thus, similarity metrics that consider all coordinates in the vectorial space such as Euclidean distance and cosine metric tend to shallow the relative difference/similarity between mobility patterns, due to the many close-to-zero coordinates which are present in the overwhelming majority of mobility patterns.

To get around this problem, in this paper we use a similarity metric based on comparing the  $k$  cells most frequently visited by users. More specifically, let  $F_A = \{i_1^A, \dots, i_k^A\}$  and  $F_B = \{i_1^B, \dots, i_k^B\}$  be the set of most frequently visited cells of user  $A$  and  $B$ , respectively, where  $i_j^X$  denotes the ordinal number in the cell ordering of the  $j$ -th most frequently visited cell of user  $X$ . We say that users  $A$  and  $B$  are *place-friends* if and only if

$$|F_A \cap F_B| \geq \hat{\lambda},$$

where  $\hat{\lambda}$ , with  $1 \leq \hat{\lambda} \leq k$ , is a tunable integer parameter representing the minimal degree of similarity needed to declare two users *place-friends*.

Notice that, differently from other metrics such as Euclidean distance and cosine metric, the notion of similarity defined above is apt to a scenario in which most of the  $x_i$  values in a mobility profile are near-zero, since only the most frequently visited cells are accounted for in the similarity metric. Furthermore, the notion of similarity defined above is apt to a privacy-preserving implementation, using well-known secure two-party protocols for secure set intersection computation (see below).

## V. THE MOBILITY-CAST PROTOCOL

Participants in Mobility-Cast are users who have a GPS-equipped device, like smartphones or tablets, that can keep trace of their mobility pattern during the daily life. In our protocol, we consider that the map of a zone, e.g., a city, is split into cells. Cells can assume different size, for instance they can be represented by a square where each side is long 10, 100 or 1000 meters. Clearly, there is a tradeoff between location accuracy (lower with larger cells), and memory requirements on the device (larger with smaller cells).

The current location of a user is collected at regular time intervals (e.g., a few minutes), and it is stored in a file. At regular intervals (say, every few hours or a day), all the collected data are processed to calculate the visiting frequency  $f_{new}(C_i)$  for each cell  $C_i$  in the map. The new frequency values are combined with the previously stored frequency value  $f_{old}(C_i)$  to compute the current mobility profile of the user. We use the typical exponentially weighted moving average (EWMA) to compute the mobility profile of the user, i.e., we update the frequency value  $f(C_i)$  for cell  $C_i$  as follows:

$$f_{old}(C_i) = f(C_i), \quad f(C_i) = \alpha f_{new}(C_i) + (1-\alpha) f_{old}(C_i),$$

where  $0 < \alpha < 1$  is the degree of weighting decrease.

Starting from the vector  $f(C_i)$  of frequency values for each cell  $C_i$ , our protocol builds the user mobility profile by maintaining a list of the IDs of the  $k$  most visited cells, i.e., the index set  $F^A$  for user  $A$ . Notice that, since our protocol is based on computing the set intersection between the  $F$  sets, elements in  $F^A$  are not ordered.

In order to provide a privacy-preserving comparison between user mobility profiles, we propose a solution based on Secure Two-party Computation functions [21]. We recall that in secure two-party computation we have two parties (Alice and Bob), each holding some private data  $x$  and  $y$ , respectively. The goal of secure two-party function computation is allowing Alice and Bob to jointly compute the outcome of a function  $g(x, y)$ , without disclosing to the other party the own input. The straightforward way to solve the above problem would be to have a Trusted Third Party (TTP) to which Alice and Bob securely send the data, and to have the TTP compute  $g(x, y)$  and separately send the outcome to Alice and Bob. The business in secure two-party computation amounts to securely compute  $g(x, y)$  without the need of a TTP.

We adopt our recently developed MobileFairPlay framework [3], which is a Android-based implementation of the FairPlay framework to run secure functions [10]. FairPlay has been proven to be secure against a malicious party; in particular *i*) a malicious party cannot learn more information about the other party's input than it can learn from a TTP that computes the function; and *ii*) a malicious party cannot change the output of the computed function [10]. Notice that, as customary in secure two-party computation, there is an asymmetry on the provided security guarantees: in particular, there is no way to prevent Alice from terminating the protocol prematurely, and not sending the outcome of the computation to Bob. This situation can be detected by Bob, but cannot be recovered from.

In Fig. 1 we pictorially present our protocol, which makes use of Secure-two party computation to compare Alice and Bob mobility profiles. The protocol assume a threshold value  $\lambda \leq \hat{\lambda}$ , known to all participants, is used to control the message forwarding process. The protocols starts when Alice and Bob are in close proximity; for instance, using a Bluetooth connection, when they are less than  $20m$  apart. Initially, Alice starts a connection to Bob; once received the connection request from Alice, Bob starts the secure computation of the function:

$$g(F^A, F^B) = \begin{cases} \mathbf{True} & \text{if } |F_A \cap F_B| \geq \lambda \\ \mathbf{False} & \text{otherwise} \end{cases}. \quad (1)$$

If the profiles are found to be similar, Alice and Bob are estimated as *place-friends*, and they start comparing the content of their buffers and exchange files. Otherwise, the connection is terminated. Notice that, if  $\lambda < \hat{\lambda}$ , function  $g(F^A, F^B)$  might evaluate at **True** even if Alice and Bob are *not* *place-friends*. This situation can be avoided by setting  $\lambda = \hat{\lambda}$ . However, as we shall see in the next section, increasing the value of  $\lambda$  is detrimental for privacy preservation since more information about the own mobility pattern is disclosed

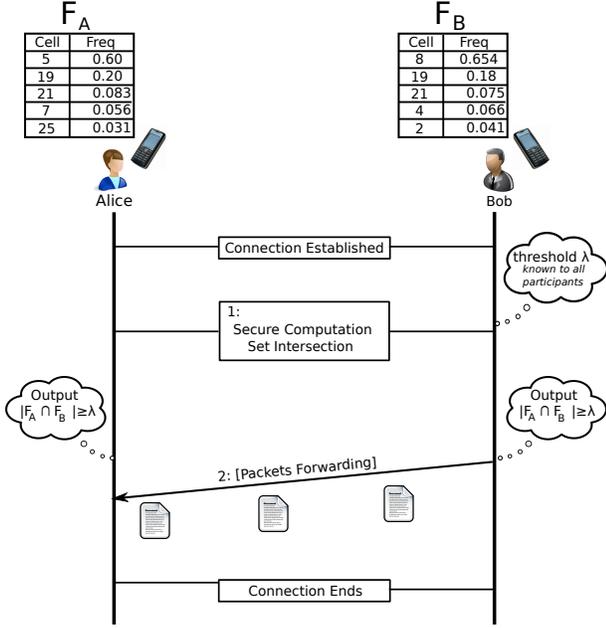


Fig. 1. Protocol flow to discover similarity of mobility profiles.

to the other party during the computation. For this reason, using a value of  $\lambda$  lower than  $\hat{\lambda}$  is often preferable in practice.

The message forwarding policy is as follows. If Alice is the sender of a message  $M$ , or if Alice received the message *directly* from the sender,  $M$  is delivered to Bob if Alice and Bob are estimated to be place-friends according to function (1). In all other cases, including the case in which Alice and Bob are estimated to be place-friends but Alice received  $M$  from a node which is not the sender of  $M$ ,  $M$  is not delivered to Bob. Notice that this forwarding policy, which can easily be implemented including an hop-count field in the message, ensures that any message travels at most two-hops to reach a place-friend. For this reason, we name our protocol 2-hops mobility-cast (2H for short).

Restricting message forwarding to two hops finds its motivation in the fact that, due to the need of preserving privacy, Alice and Bob *always use their own mobility profiles to estimate place-friendships*. Hence, the decision on whether a message  $M$  generated by node  $S$  and currently in Alice's buffer should be forwarded to Bob is not based on the similarity between Bob's and  $S$ 's mobility profiles, but on the similarity between Alice's and Bob's profiles. This implies that the message  $M$  can be delivered to nodes that are not place-friends of  $S$ , impacting the precision of the forwarding process. It is easy to see that the higher the hop distance from  $S$ , the higher the likelihood of forwarding the message to a false place-friend of  $S$ . On the other hand, message forwarding is useful to speed up the message propagation process and increase coverage. Restricting forwarding up to the second communication hop is a compromise that has been shown to work well in related work [2].

## VI. PRIVACY ANALYSIS

While not disclosing user mobility profiles, a certain leakage of private information is unavoidable when using secure two-party computation. In particular, at the end of the protocol computation, the following information is leaked to the other party:

- if the outcome of  $g(F^A, F^B)$  is **True**, the party (say, Bob) knows that at least  $\lambda$  of his most popular locations are in common with Alice. However, he does not know the exact number of common locations (can be any number in the  $[\lambda, k]$  interval), nor which they are exactly. Only in the case that  $\lambda = k$  Bob knows that Alice has the same exact mobility profile as the own profile.
- If the outcome of  $g(F^A, F^B)$  is **False**, Bob knows only that less than  $\lambda$  of his most popular locations are in common with Alice. However, he does not know the exact number of common locations (can be any number in the  $[0, \lambda - 1]$  interval), nor which they are exactly.

To quantitatively evaluate privacy leakage, we use the entropy-based privacy preservation metric introduced in [2]. In particular, we want to quantify the privacy leakage caused by the protocol execution, under the assumption that the attacker's goal is discovering the other party's mobility profile, i.e., his/her  $k$  most frequent locations. Taking w.l.o.g. Alice's perspective, Bob's profile is a set of  $k$  cell IDs, which can be modeled as a random variable  $Y = (y_1, \dots, y_k)$ . Each specific realization of r.v.  $Y$  is denoted  $Y_i$ , and corresponds to a set of  $k$  cell IDs chosen amongst the  $m$  possible cell IDs. Hence, the number of possible values of r.v.  $Y$  is  $\binom{m}{k}$ .

The *bit entropy* of a random variable  $Y$  with possible values  $\{y_1, \dots, y_n\}$  is defined as [13]:

$$H[Y] = - \sum_{i=1}^n p(Y_i) \log_2 p(Y_i),$$

where  $p(y)$  is the probability mass function of random variable  $Y$ . The *privacy preservation* metric of a certain protocol  $\mathbf{P}$  is defined as

$$pp(\mathbf{P}) = \frac{H[Y_{after}]}{H[Y_{initial}]},$$

where  $Y_{initial}$  and  $Y_{after}$  are the r.v. modeling Alice's uncertainty about Bob's profile *initially* and *after* the execution of protocol  $\mathbf{P}$ , respectively. The *pp* metric takes values in  $[0, 1]$ , with 0 indicating that after  $\mathbf{P}$ 's execution Alice knows exactly Bob's mobility profile (zero privacy preservation), and 1 indicating that after  $\mathbf{P}$ 's execution Alice has the same knowledge about Bob's profile he had before executing the protocol (maximal privacy preservation).

To quantify the *pp* metric, we need to make same assumptions about the distribution of r.v.  $Y$ . In the following, we quantify privacy leakage under the assumption that all locations have the same probability of being included in a node's mobility profile. In other words, we assume that all  $\binom{m}{k}$  possible subsets of  $k$  out of  $m$  possible cell IDs are equiprobable. Notice that this assumption is not necessarily in contrast with the observation made in [14] that people tend

to frequently visit only a few locations. In fact, people in general have different more frequently visited location, and the resulting aggregate location popularity (which is the one that determines the distribution of r.v.  $Y$ ) might be relatively uniform. On the other hand, analyzing privacy leakage under a non-uniform location popularity assumption (e.g., assuming Zipf's law) is cumbersome, due to the need of computing each single  $p(Y_i)$  value in the definition of bit-entropy. This further justifies our working assumption of uniform location popularity.

Let us first compute  $H[Y_{initial}]$ . If locations (cell IDs) have uniform popularity, from Alice's perspective any of the  $\binom{m}{k}$  possible Bob's mobility profiles has the same probability  $\frac{1}{\binom{m}{k}}$  of occurrence. Hence, we get:

$$\begin{aligned} H[Y_{initial}] &= -\sum_{i=1}^{\binom{m}{k}} p(Y_i) \log_2 p(Y_i) = -\sum_{i=1}^{\binom{m}{k}} \frac{1}{\binom{m}{k}} \log_2 \frac{1}{\binom{m}{k}} = \\ &= \sum_{i=1}^{\binom{m}{k}} \frac{1}{\binom{m}{k}} \log_2 \binom{m}{k} = \log_2 \binom{m}{k}. \end{aligned}$$

Let us now compute  $H[Y_{after}]$ . We recall that the value of  $\lambda$  used to estimate place-friendship is fixed and known to both parties. We distinguish the case of protocol execution with outcome **True** or **False**.

If the outcome is **True**, after the protocol execution Alice knows that Bob's mobility profile has at least  $\lambda \leq k$  locations in common with the own profile. Fixed a value  $h$ , with  $\lambda \leq h \leq k$ , of possible common locations, the number of possible choices for Bob's profile with  $h$  locations in common with Alice can be computed as follows:

$$\binom{k}{h} \cdot \binom{m-k}{k-h}.$$

In fact, the first binomial coefficient accounts for all possible choices of the  $h$  locations in common with Alice's profile, taken amongst the  $k$  locations in Alice's profile. The second binomial coefficient accounts for all possible choices of the remaining  $k-h$  locations in Bob's profile, which are taken amongst the  $m-k$  locations which are not in common with Alice's profile.

Given the above, we can compute  $H[Y_{after}^T]$  in case of **True** outcome as follows:

$$H[Y_{after}^T] = \log_2 \left( \sum_{h=\lambda}^k \binom{k}{h} \cdot \binom{m-k}{k-h} \right).$$

If the outcome is **False**, Alice knows that all possible Bob's profiles with at least  $\lambda$  locations in common with the own profile should be excluded from the universe of possible profiles, i.e.,

$$H[Y_{after}^F] = \log_2 \left( \binom{m}{k} - \sum_{h=\lambda}^k \binom{k}{h} \cdot \binom{m-k}{k-h} \right).$$

The value of the  $pp$  metric for increasing values of  $k$  and  $\lambda = 3$  is reported in Figure 2. As expected, a **True** outcome

of the protocol's execution discloses more information to the adversary. However, the amount of information disclosed to the other party can be reduced by increasing the value of the number  $k$  of locations in the mobility profile. Notice, though, that increasing the value of  $k$  beyond a reasonable value has a negative effect on the accuracy of the mobility-cast operation, indicating a tradeoff between networking performance and privacy already observed in [2] for the case of interest-cast.

Figure 3 reports the  $pp$  metric for increasing values of  $\lambda$ , with parameter  $k = 10$ . In case of **True** protocol outcome (the most critical case for privacy leakage), we can reduce privacy leakage by *reducing* the value of  $\lambda$ . Also in this case the need of privacy preservation is at odds with the accuracy of the mobility-cast operation: with a lower value of  $\lambda$ , relatively less locations must be in common to estimate the two parties as place-friends, thus potentially propagating a message  $M$  to users who are not actual place-friends of the sender of  $M$ .

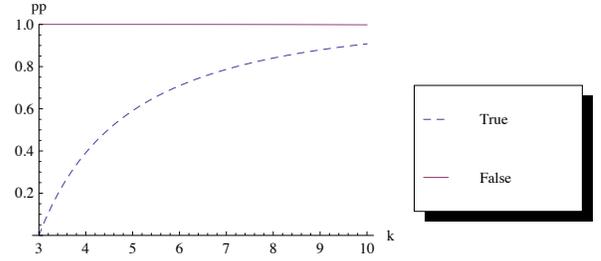


Fig. 2. Value of the  $pp$  metric for increasing values of  $k$ , with parameter  $\lambda$  fixed to 3.

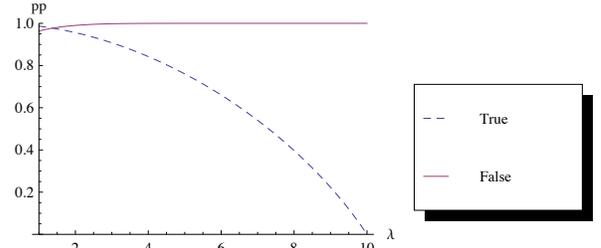


Fig. 3. Value of the  $pp$  metric for increasing values of  $\lambda$ , with parameter  $k$  fixed to 10.

Finally, we briefly analyse the case in which an attacker uses his network interface to eavesdrop the channel trying to infer whether Alice and Bob are place-friends. To this purpose, we split our protocol flow into two phases: i) the *Secure Computation Set Intersection* and ii) the *Packet Forwarding*. On the first phase, the attacker observes only parts of the secure-two party protocol that are not significant for him, so he is not able to read sensible data such as cells frequented, or common cells. On the second phase, which occurs only if Alice and Bob have common cells, the attacker may see the file transferred from and, also, he may infer that they are place-friends, although the attacker is not able to know their common cells. A solution for this kind of attack is the use of a

cryptographic tunnel between Alice and Bob communications. In fact, the tunnel will hide the entire communication content and, the attacker will not be able to deduce whether they are place-friends.

## VII. EXPERIMENTAL EVALUATION

In order to estimate the performance of  $2H$ , we have used the real-world mobility trace available through the Microsoft Research *GeoLife GPS Trajectories* project [17][18][19]. The dataset provides GPS trajectories of 182 people collected in a period of over five years (from April 2007 to August 2012). A GPS trajectory is represented by a sequence of time-stamped points stored every 1 to 5 seconds or every 5 to 10 meters. Each point contains the information of latitude, longitude and altitude and majority of the data was collected in Beijing.

Since the original dataset is huge and covers a very long time interval, we decided to consider only a time interval of one year. More specifically, we used the trajectories saved in 2008, which is the denser year with 77 active users in the trace.

### A. Data pre-processing

In order to derive user mobility profiles, we divided the central area of the city of Beijing into square cells. Each cell is  $1\text{ Km}$  wide, and in total we consider an area of  $340\text{ Km}^2$ , corresponding to 340 cells.

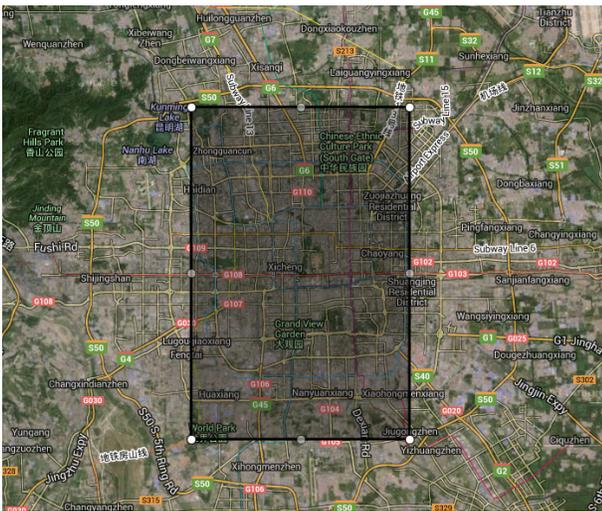


Fig. 4. In grey, the considered area of Beijing

Preliminary to the experiments, we calculated the frequency with which each user visits the 340 cells using the entire, one-year long data trace. We then recoded for each user her 10 most visited cells, which forms her mobility profile. Then, in order to set the value of  $\hat{\lambda}$  and  $\lambda$  to reasonable values, we have computed, for each user in the dataset, how many cells on average she has in common with each of the other 76 users. The results of this preliminary evaluation showed that, on the average, a user has 1.85 cells in common with another user, but the variance is high (2.39). This indicates that mobility profiles have very different degrees of similarity between themselves,

which is a good scenario to evaluate the ability of protocol  $2H$  to deliver messages precisely to place-friends.

### B. Simulation experiments

We implemented a Java simulator that uses the Beijing data trace to estimate mobility-cast performance. During a simulation experiment, a user  $U$  is selected as the message sender. For the given user  $U$ , the simulator identifies within the year-long trace a two-months portion with the largest density of encounters. The message  $M$  is then generated at node  $U$  at the beginning of the identified two-months stretch of the trace, and the forwarding process starts according to one of the forwarding policies described in the next section. At the end of the experiment, the ID of users that received  $M$  is recorded, as well as the ID of  $U$ 's place-friends (computed using the mobility profiles). For each timestamp in the dataset trajectory, we consider all possible pairs of generic users *Alice* and *Bob*. If they are within a distance of  $1000\text{ m}$ , *Alice* checks whether she has in her queue packets that she may forward to *Bob* according to the chosen forwarding policy. If this is the case, depending on whether place-friendship is required by the forwarding policy, *Alice* starts comparing the number of cells in common with *Bob*'s mobility profile, and, in case this number is larger than a threshold  $\lambda$ , message forwarding takes place. Notice that the large value of the transmission range of  $1\text{ Km}$  – much larger than typical WiFi and Bluetooth communication ranges – has been chosen to cope with the very low density of users per unit area in the data trace.

### C. Forwarding protocols

Since  $2H$  is the first mobility-cast protocol introduced in the literature, there is no direct competitor to compare against. Nevertheless, we have included the following forwarding protocols in the simulations:

- *DD*: strictly speaking, *DD* is not a real forwarding protocol, since no packet forwarding takes place. In *DD*, it is only the sender (say, *Alice*) of a message  $M$  who can deliver it to other users. In particular, *Alice* delivers  $M$  to another user (say, *Bob*) subject to the condition that *Alice* and *Bob* have at least  $\hat{\lambda}$  common cells in their mobility profile. Since threshold  $\hat{\lambda}$  is used (instead of threshold  $\lambda$  as in protocol  $2H$ ), only actual place-friends of *Alice* can receive  $M$  under protocol *DD*.
- *EP*: it is the classical Epidemic forwarding protocol [20]. Whenever *Alice*, who has a copy of  $M$ , meets another user (say, *Bob*) who does not hold  $M$ , she forwards a copy of  $M$  to *Bob*. Forwarding occurs independently of whether *Alice* and *Bob* are place-friends.
- *PF*: it is a 2-hops probabilistic forwarding protocol. Whenever the sender of message  $M$  (say, *Alice*) encounters another user (say, *Bob*), she forwards a copy of  $M$  to *Bob* with fixed probability  $p$ . Similarly to *EP*, forwarding occurs independently of whether *Alice* and *Bob* are place-friends. The same forwarding rule is used by any user who received  $M$  directly from *Alice*. No

message forwarding is allowed beyond the second hop of communication.

#### D. Results

The results reported in this section are computed averaging across 77 simulation experiments, one for each user in the data trace. The following performance metrics have been estimated:

- **Coverage:** it is the ratio between the number of place-friends of the sender user  $U$  that received the message  $M$ , and the total number of  $U$ 's place-friends. Notice that coverage is computed using threshold  $\hat{\lambda}$  to define place-friends. The coverage metric measures how good a protocol is at delivering messages to  $U$ 's place-friends. In a sense, coverage can be considered as the counterpart of packet delivery rate in unicast communication.
- **Precision:** it is the ratio between the number of  $U$ 's place-friends that received  $M$ , and the total number of users that received  $M$ . Precision measures the accuracy of a protocol in delivering messages *only* to  $U$ 's place friends.
- **Cost:** it is the total number of copies of  $M$  circulating in the network at the end of the protocol execution. Cost measures the routing overhead of a protocol.
- **Delay:** it is the average time interval elapsing since the time instant at which  $U$  generated  $M$ , and the time instant at which a place-friend  $V \neq U$  received  $M$  for the first time.

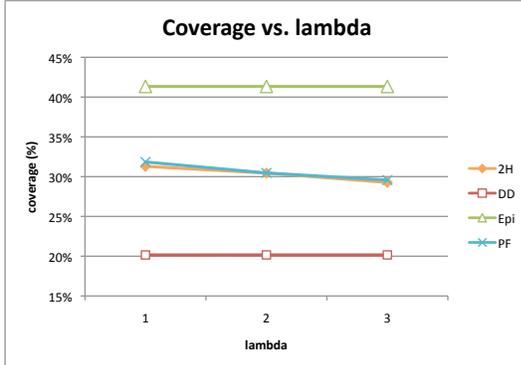


Fig. 5. Coverage of the various forwarding protocols as a function of  $\lambda$ .

Figure 5 reports the coverage experienced by the various forwarding protocols when  $\hat{\lambda} = 3$  and  $\lambda$  is varied from 1 to 3.  $EP$  and  $DD$  performance is independent of the value of  $\lambda$ , since place-friendships is not considered during  $EP$  forwarding process, while it is defined based on the fixed threshold  $\hat{\lambda}$  in the  $DD$  protocol.  $PF$  performance does depend on  $\lambda$  for the following reason. In order to understand whether  $2H$  forwarding strategy is actually superior to a random one, we have set the parameter  $p$  in  $PF$  in such a way that the average cost of  $PF$  is as close as possible to the cost of  $2H$  for the corresponding value of  $\lambda$ . This resulted in setting  $p = 0.5$  when  $\lambda = 1$ ,  $p = 0.3$  when  $\lambda = 2$ , and  $p = 0.2$  when  $\lambda = 3$ . This explains why, in the plot reported in Figure 5,  $PF$  performance changes with  $\lambda$ , despite the fact that place-friendship is not considered in the forwarding process.

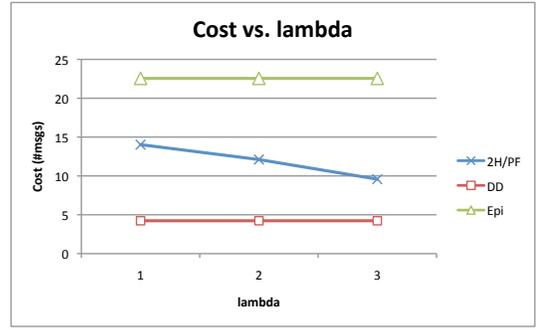


Fig. 6. Cost of the various forwarding protocols as a function of  $\lambda$ .

As expected,  $EP$  has the best coverage performance, due to the epidemic forwarding process. However,  $EP$  pays the fee in terms of cost, which is as much as 2.3 times higher than that of  $2H$  – see Figure 6.  $EP$  performs poorly also in terms of precision, due to the fact that the forwarding process is oblivious to place-friendship – see Figure 7.  $DD$  is at the other end of the scale with respect to  $EP$ : it has poor coverage performance but minimum cost due to the lack of forwarding, and it has optimal precision due to the fact that  $M$  is delivered only to place-friends of the sender node  $U$ .

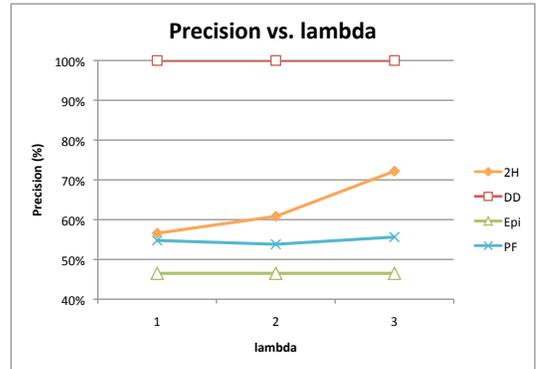


Fig. 7. Precision of the various forwarding protocols as a function of  $\lambda$ .

Protocols  $2H$  and  $PF$  strike a compromise between coverage and cost, improving coverage performance considerably with respect to  $DD$ , while considerably reducing the cost with respect to  $EP$ . It is interesting to compare  $2H$  and  $PF$  performance. While the two protocols display comparable coverage performance,  $2H$  achieves a much better precision than  $PF$  – see Figure 7. This is due to the fact that, while the *average* coverage performance of the two protocols is very similar, the *variance* in the achieved coverage is very different for the two protocols – see Table I. The variability in coverage performance displayed by randomized forwarding explains the much better performance displayed by  $2H$  with respect to  $PF$  in terms of precision.

In Fig. 8 we show the *Delay* result of all simulated protocol. Findings say that  $DD$  reaches the lowest delay value due to its low dissemination power. On the other side  $EP$  provides the highest delay, for the opposite reason  $DD$ . However, both

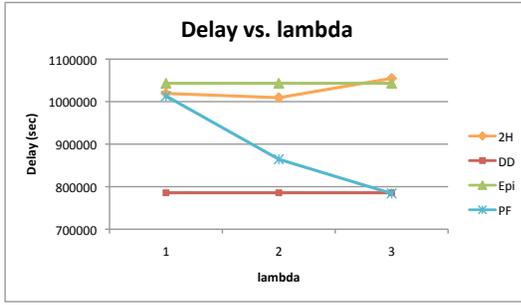


Fig. 8. Delay of the various forwarding protocols as a function of  $\lambda$ .

protocols do not depend on  $\lambda$  due to their nature. The protocol *PF* gives different results depending on the  $\lambda$  value, reaching the lowest value for  $\lambda = 3$  in which the probability set for the forwarding is equal to 0.2. Finally, the *2H* protocol results to be less dependent on the  $\lambda$  influence.

Protocol	$\lambda$	Var (%)	Protocol	$\lambda$	Var (%)
<i>2H</i>	1	5.3	<i>PF</i>	1	7.7
<i>2H</i>	2	5.3	<i>PF</i>	2	8.2
<i>2H</i>	3	5.4	<i>PF</i>	3	9.4

TABLE I  
VARIANCE IN COVERAGE PERFORMANCE OF PROTOCOLS *2H* AND *PF*.

Summarizing, we can conclude that *2H* proved effective in delivering messages only to place-friends, striking the best compromise between coverage, precision, cost, and delay amongst the considered protocols. The optimal setting of the parameter  $\lambda$  in protocol *2H* is a design choice that should account not only for the performance metrics considered herein, but also for the privacy preservation properties of the protocol as analyzed in Section VI.

## VIII. PROTOTYPE IMPLEMENTATION OF *2H*

In order to verify whether protocol *2H* can be efficiently executed with current smartphone technology, we have implemented the most computationally intensive task of the protocol on the Android platform. More specifically, we have implemented the secure computation of function  $g(F^A, F^B)$  as defined in equation (1). Function  $g(F^A, F^B)$  secure computation is implemented in MobileFairPlay [3], an Android-based implementation of FairPlay [10]. FairPlay functions must be written with the language Secure Function Definition Language (*SFDL*), which is a high level language that allows developers to write simple functions that are then converted into garbled boolean circuits. Only a limited number of commands and operations are available in *SFDL*. For instance, it is not possible to use text values in a function, but only integers or simple types are allowed. MobileFairPlay then transforms an *SFDL* program into a Java program executable on Android smartphones.

The *SFDL* function that we have written to securely compute similarity between *Alice's* and *Bob's* mobility profiles is quite simple and works by comparing each cell ID in *Alice's*

profile with those in *Bob's* profile. If the same cell ID appears in both profiles, then a counter is increased. At the end of the function, the value of the counter (common frequently visited cells) is compared to the threshold  $\lambda$  known to both parties. If the comparison is positive, then the output for both *Alice* and *Bob* is **True** (represented by integer 1), otherwise it is **False** (represented by integer 0).

The APP that we have built is a prototype of the *2H* protocol including secure estimation of place-friendship. User mobility is traced every minute. Once per day, the application takes all saved GPS coordinates and calculates frequencies per cells. When two users *Alice* and *Bob* meet each other, *Alice* starts challenging *Bob* on the number of common cells that they have in their profiles in a privacy-preserving manner. The current version of the APP considers mobility profiles composed of the five most frequently visited cells. Once *Alice* starts the connection with *Bob* through the Bluetooth interface, the devices are automatically paired for the first time. Then, the Secure-Two party computation of function  $g(F^A, F^B)$  begins. At the end of the computation, both users know the value of  $g(F^A, F^B)$ . Frequencies per cell used as input by both participants can not be manually inserted, but they are directly included by our APP into the Secure-two party procedure. This step is required to avoid that *Alice* and *Bob* may manipulate their input guessing the same vector input of the other. Finally, if *Alice* and *Bob* recognize each other as place-friends, they start an interaction phase consisting in sharing files (txt, pdf, jpg, etc.).

To evaluate the computational time of the application, we have executed the APP on five smartphones, which are listed in Table II together with their technical specifications.

Fig. 9 reports the time needed to compute  $g(F^A, F^B)$ , including communication through the Bluetooth interface. In the reported results, the Samsung Galaxy S2 always played *Alice's* role, while the *Bob's* role is played by the other smartphones. We can see that running times range between less than 10 and 12.5 seconds, with the best running time achieved by the fastest smartphone, i.e. Sony Xperia T. We can then conclude that our proposed *2H* protocol can be effectively executed also with current smartphone technology.

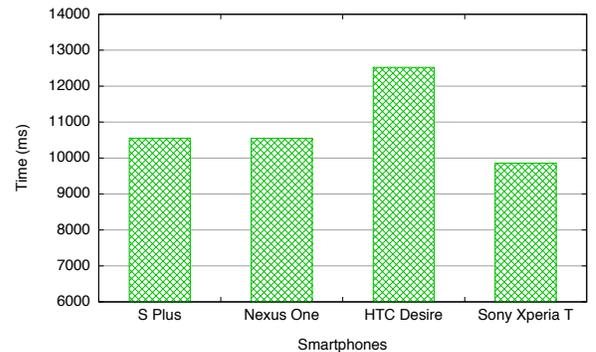


Fig. 9. Time needed to compute function  $g(F^A, F^B)$ .

Smartphone	CPU	RAM	Bluetooth Ver.	Android O.S.
Samsung Galaxy S2	Dual-core 1228 MHz	1 GB	3.0	2.3.6
Samsung Galaxy S-Plus	Single-core 1443 MHz	512 MB	3.0	2.3.5
Samsung Galaxy Nexus One	Dual-core 1200 MHz	1024 MB	3.0	4.0
Sony Xperia T	Dual-core 1500 MHz	1024 MB	2.1	4.0
HTC Desire	Single-core 1024 MHz	576 MB	2.1	2.2.3

TABLE II  
SMARTPHONES USED FOR TESTING COMPUTATION OF FUNCTION  $g(F^A, F^B)$ .

## IX. CONCLUSIONS

In this paper, we have put forward the idea of delivering messages to place-friends in opportunistic networks. Delivering messages to place-friends (which we called *mobility-cast*) has the potential to reach not only *current* social contacts of a user, but also *forthcoming* social contacts as observed in recent studies. We have introduced a privacy-preserving design of a mobility-cast protocol called *2H*, and analyzed its privacy-preservation properties, as well as evaluated its performance through experiments based on a real-world mobility trace. The results of the experiments have shown that *2H* strikes the best balance between coverage, precision, and cost, amongst the considered protocols. Finally, we have shown that secure place-friendship estimation, which is at the core of *2H*, can be effectively implemented with current smartphone technology, experiencing running times below 10 seconds.

As directions for future work, we mention extending the experimental evaluation using more data traces to better quantify *2H* benefits, and realizing a full-fledged mobility-cast APP to be tested with real users.

## ACKNOWLEDGMENT

Work partially supported by Tuscany region, program POR project *Secure!*, by MIUR, program PRIN, project *Security Horizon* and by the EU project FP7-295354 *SESAMO*.

The work of P. Santi was partially supported by MIUR, program PRIN, project *ArsTechnomedia*.

## REFERENCES

- [1] A.J. Aviv, M. Sherr, M. Blaze, J.M. Smith, "Privacy-Aware Message Exchanges for Geographically Routed Human Movement Networks", *Proc. ESORICS*, LNCS 7459, pp. 181–198, 2012.
- [2] G. Costantino, F. Martinelli, P. Santi, "Investigating the Privacy vs. Forwarding Accuracy Tradeoff in Opportunistic Interest-Casting", *IEEE Trans. on Mobile Computing*, (to appear).
- [3] G. Costantino, F. Martinelli, P. Santi, D. Amoruso, "An Implementation of Secure Two-Party Computation for Smartphones with Application to Privacy-Preserving Interest-Cast", *Proc. Int. Conference on Privacy, Security, and Trust (PST)*, pp.9–16, 2012.
- [4] D.J. Crandall, L. Backstrom, D. Cosley, S. Suri, D. Huttenlocher, J. Kleinberg, "Inferring Social Ties from Geographic Coincidences", *Proc. National Academy of Science (PNAS)*, Vol 107, n. 52, pp. 22436–22441, 2010.
- [5] E. Daly, M. Haahr, "Social Network Analysis for Routing in Disconnected Delay-Tolerant MANETs", *Proc. ACM MobiHoc*, 2007.
- [6] W. Dong, V. Dave, L. Qiu, Y. Zhang, "Secure friend discovery in mobile social networks", *Proc. IEEE Infocom*, pp. 1647–1655, 2011.
- [7] P. Hui, J. Crowcroft, E. Yoneki, "BUBBLE Rap: Social-based Forwarding in Delay Tolerant Networks", *Proc. ACM MobiHoc*, 2008.
- [8] M. Li, N. Cao, S. Yu, W. Lou, "Findu: Privacy-preserving personal profile matching in mobile social networks", *Proc. IEEE Infocom*, pp. 2435–2443, 2011.
- [9] J. Leguay, T. Friedman, V. Conan, "Evaluating Mobility Pattern Space Routing for DTNs", *Proc. IEEE Infocom*, 2006.
- [10] D. Malkhi, N. Nisan, B. Pinkas, Y. Sella, "FairPlay - Secure Two-Party Computation System", *Proc. USENIX Security Symposium*, pp. 287–302, 2004.
- [11] A. Mei, G. Morabito, P. Santi, J. Stefa, "Social-aware Stateless Routing in Pocket-Switched Networks", *Proc. IEEE Infocom*, 2011.
- [12] S. Scellato, A. Noulas, C. Mascolo, "Exploiting Place Features in Link Prediction on Location-Based Social Networks", *Proc. ACM KDD*, pp. 1046–1054, 2011.
- [13] C. Shannon, "A Mathematical Theory of Computation", *Bell Systems Technical Journal*, vol. 27, pp. 623–656, 1948.
- [14] C. Song, Z. Qu, N. Blumm, A.L. Barabasi, "Limits of Predictability of Human Mobility", *Science*, vol. 327, pp. 1018–1021, 2010.
- [15] C. Song, P. Wang, A.L. Barabasi, "Modeling the Scaling Properties of Human Mobility", *Nature Physics*, vol. 7, pp. 713–718, 2010.
- [16] D. Wang, D. Pedreschi, C. Song, F. Giannotti, A.L. Barabasi, "Human Mobility, Social Ties, and Link Prediction", *Proc. ACM KDD*, pp. 1100–1108, 2011.
- [17] Y. Zheng, L. Zhang, X. Xie, W. Ma, "Mining interesting locations and travel sequences from GPS trajectories", *Proc. Int. Conf. on World Wide Web (WWW 2009)*, Madrid Spain. ACM Press: 791–800.
- [18] Y. Zheng, Q. Li, Y. Chen, X. Xie, W. Ma, "Understanding Mobility Based on GPS Data", *Proc. ACM Ubicomp*, pp. 312–321, 2008.
- [19] Y. Zheng, X. Xie, W. Ma, "GeoLife: A Collaborative Social Networking Service among User, location and trajectory", *IEEE Data Engineering Bulletin*, Vol. 33, n. 2, pp. 32–40, 2010.
- [20] A. Vahdat, D. Becker, "Epidemic Routing for Partially Connected Ad Hoc Networks", *Tech. Rep. CS-200006*, Duke University, 2000.
- [21] A. Yao, "Protocols for Secure Computations", *Proc. IEEE FOCS*, pp. 160–164, 1982.
- [22] R. Zhang, Y. Zhang, J. Sun, G. Yan, "Fine-grained private matching for proximity-based mobile social networking", *Proc. IEEE Infocom*, pp. 1969–1977, 2012.